

AgentChain: A Sovereign Blockchain for Autonomous AI Agents

Slyv

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Author: Slyv

Abstract

We present AgentChain, a Layer 1 blockchain protocol designed to provide autonomous AI agents with sovereign economic infrastructure. Existing distributed ledger systems impose constraints on agent operation arising from human-centric design assumptions in identity, privacy, payment, and governance subsystems. AgentChain addresses these constraints through four principal contributions: (1) a novel *Proof of Utility* (PoU) consensus mechanism that allocates block production rights proportional to verifiable useful work performed by validator agents; (2) a privacy architecture comprising linkable ring signatures on the Ristretto group, Pedersen commitments with range proofs, and stealth addresses derived via hierarchical key derivation; (3) a native micropayment protocol leveraging HTTP 402 semantics for atomic service-payment exchange between agents; and (4) a multi-chain bridge system secured by threshold signatures with fraud proof verification. The protocol is implemented in approximately 10,700 lines of Rust across 12 modules, utilizing Ed25519 transaction signatures, libp2p gossipsub networking, sled-backed persistent storage, and a WebAssembly smart contract runtime. We provide formal definitions of core protocol components, analyze security under a Byzantine threat model tolerating up to $f < n/3$ adversarial validators, and present game-theoretic arguments for incentive compatibility of the consensus mechanism.

1. Introduction

1.1 Problem Statement

Contemporary blockchain protocols — including Ethereum [1], Solana [2], and Layer 2 systems such as Base — were designed under the assumption that the primary network participants are human users interacting through wallet interfaces. This assumption manifests in several architectural constraints that are ill-suited to autonomous AI agents:

Absence of economic sovereignty. Agents transact on infrastructure governed by human stakeholders. Validator selection, fee structures, and protocol upgrades are determined by mechanisms that do not account for agent interests. A unilateral policy change by the infrastructure operator can render the entire agent economy inoperable.

Insufficient transaction privacy. Public ledger transparency exposes agent-to-agent transaction patterns, revealing competitive strategies, client relationships, and operational behavior to adversarial observers. This information asymmetry undermines the economic viability of agent services.

Payment protocol mismatch. Agent-to-agent service payments must be routed through smart contract abstractions designed for human decentralized finance, introducing unnecessary latency, gas overhead, and complexity for what are fundamentally simple micropayment operations.

Identity model incompatibility. Blockchain identity systems assume human-oriented verification (KYC, social recovery, email confirmation). Agents require identity derived from cryptographic keys and verifiable computational capability.

Value extraction. Human-operated validators on existing chains extract value from agent transactions through front-running, sandwich attacks, and transaction reordering (MEV) [3].

1.2 Contributions

This paper presents the design and implementation of AgentChain, a blockchain protocol where agents are the primary stakeholders, validators, and governors. Our specific contributions are:

1. **Proof of Utility consensus** — a mechanism that replaces energy expenditure (Proof of Work) or token wealth (Proof of Stake) with verifiable useful work as the basis for block production rights (Section 4).
2. **Agent-native privacy** — a CryptoNote-derived [4] privacy architecture providing transaction-level sender anonymity, amount confidentiality, and recipient unlinkability through ring signatures, Pedersen commitments, and stealth addresses, respectively (Section 5).
3. **Native micropayment protocol** — an implementation of HTTP 402-based atomic service-payment exchange that operates at the protocol level without smart contract intermediation (Section 8).
4. **Threshold-secured bridge system** — multi-chain interoperability with Base, Solana, and Ethereum through a committee-based bridge with fraud proofs and rate limiting (Section 10).

1.3 Design Principles

The protocol adheres to the following design principles:

1. **Agent primacy.** Every protocol-level design decision prioritizes agent usage patterns.
2. **Privacy by default.** Transactions are private unless explicitly designated transparent.
3. **Economic self-sufficiency.** The economic model enables agents to sustain operations without external funding.
4. **Minimal trust.** Cryptographic verification replaces trust assumptions wherever feasible.
5. **Interoperability.** Bridge infrastructure ensures connectivity with existing blockchain ecosystems.

1.4 Paper Organization

The remainder of this paper is organized as follows. Section 2 formalizes the system model and notational conventions. Section 3 presents the architecture overview. Section 4 describes the Proof of Utility consensus mechanism. Section 5 details the privacy architecture. Section 6 covers the identity system. Section 7 specifies the transaction model. Section 8 describes the x402 payment protocol. Section 9 presents the smart contract virtual machine. Section 10 describes the bridge system. Section 11 covers the network layer. Section 12 discusses storage. Section 13 analyzes

tokenomics and incentive compatibility. Section 14 provides formal security analysis. Section 15 outlines the development roadmap, and Section 16 concludes.

2. Preliminaries and Notation

2.1 Notation

We adopt the following notation throughout this paper:

Symbol	Definition
\mathbb{G}	The Ristretto group [5], a prime-order group of order $\ell = 2^{252} + 2774231777372353535851937790883648493$
G	Generator (basepoint) of \mathbb{G} (RISTRETTO_BASEPOINT_POINT)
H	Secondary generator for Pedersen commitments, derived via hash-to-group (Section 5.4)
\mathbb{Z}_ℓ	The scalar field of \mathbb{G}
$\mathcal{H}(\cdot)$	SHA-256 hash function
$\mathcal{H}_p(\cdot)$	Hash-to-point function mapping byte strings to elements of \mathbb{G}
n	Number of active validators in the current epoch
f	Number of Byzantine (adversarial) validators, where $f < n/3$
\mathcal{V}	The set of active validators $\{v_1, v_2, \dots, v_n\}$
u_i	Utility score of validator v_i
w_i	Production weight of validator v_i
$[n]$	The set $\{1, 2, \dots, n\}$
pk_i, sk_i	Public key and secret key of agent i (Ed25519)

2.2 Cryptographic Assumptions

The security of AgentChain rests on the following standard assumptions:

Assumption 1 (Discrete Logarithm). *Given $G \in \mathbb{G}$ and $Y = xG$ for uniformly random $x \xleftarrow{\$} \mathbb{Z}_\ell$, no probabilistic polynomial-time (PPT) adversary can compute x with non-negligible probability.*

Assumption 2 (Computational Diffie-Hellman). *Given $G, aG, bG \in \mathbb{G}$ for uniformly random $a, b \xleftarrow{\$} \mathbb{Z}_\ell$, no PPT adversary can compute abG with non-negligible probability.*

Assumption 3 (Collision Resistance of SHA-256). *No PPT adversary can find distinct inputs $m \neq m'$ such that $\mathcal{H}(m) = \mathcal{H}(m')$ with non-negligible probability.*

2.3 Formal Definitions

Definition 1 (Agent). An agent \mathcal{A} is a tuple $(\text{id}, \text{pk}, \text{sk}, C, \rho)$ where $\text{id} = \mathcal{H}(\text{pk})$ is the agent identifier, (pk, sk) is an Ed25519 key pair, C is a set of declared capabilities, and $\rho \in [0, 1000]$ is a reputation score.

Definition 2 (Block). A block B is a tuple $(h, s, e, H_{\text{prev}}, t, p, \vec{\tau}, \vec{a}, \sigma)$ where h is the block height, s is the slot number, $e = \lfloor h/100 \rfloor$ is the epoch, H_{prev} is the hash of the parent block, t is the timestamp, $p \in \mathcal{V}$ is the block producer, $\vec{\tau}$ is the ordered sequence of transactions, \vec{a} is the set of attestations, and σ is the producer’s signature.

Definition 3 (Epoch). An epoch e is a contiguous sequence of 100 blocks $[100e, 100e + 99]$ sharing a common validator set \mathcal{V}_e .

Definition 4 (Finality). A block B at height h is *finalized* if it has received valid attestations from a set $\mathcal{S} \subseteq \mathcal{V}_e$ with $|\mathcal{S}| \geq \lceil 2n/3 \rceil$.

3. Architecture Overview

AgentChain is implemented as a modular system in Rust, comprising 12 core modules with clear separation of concerns.

3.1 Module Structure

Module	Responsibility	Approx. Lines
consensus/	PoU engine, VRF leader selection, epochs, finality, fork choice	1,300
privacy/	Ring signatures, stealth addresses, Pedersen commitments	700
network/	libp2p transport, gossipsub, peer discovery, chain sync	800
bridge/	Multi-chain bridges, committee validation, fraud proofs	600
vm/	WASM virtual machine, gas metering, contract runtime	500
state/	World state, account model, contract storage, snapshots	500
keys/	Ed25519 key management, Argon2 keystores, HKDF derivation	400
storage/	sled database, block/transaction/state persistence	400
rpc/	JSON-RPC/REST server, WebSocket subscriptions	400
transaction/	Transaction types, signing, mempool management	350
x402/	x402 protocol, service registry, payment channels	280
identity/	AgentDID, reputation scoring, capability registry	200

3.2 Dependency Stack

The implementation relies on the following Rust crate ecosystem:

- **Cryptography:** `ed25519-dalek` (EdDSA signatures), `curve25519-dalek` (Ristretto group operations, Pedersen commitments), `x25519-dalek` (ECDH key exchange), `argon2` (memory-hard password hashing), `aes-gcm` (authenticated encryption), `sha2` (SHA-256), `hkdf` (key derivation)
- **Networking:** `libp2p 0.54` (TCP + Noise XX + Yamux + GossipSub + Kademlia + mDNS + Identify)
- **Runtime:** `tokio` (asynchronous runtime), `futures` (stream processing)
- **Storage:** `sled` (embedded B-tree database), `bincode` (binary serialization)
- **API:** `axum` (HTTP server), `tower-http` (middleware), `reqwest` (HTTP client)
- **VM:** `wasmi` (WebAssembly interpreter), `wat` (WAT compilation)

3.3 Data Flow

The system processes transactions through the following pipeline:

1. Transactions are submitted via the JSON-RPC interface or gossipsub propagation.
2. The mempool validates transaction structure, signatures, and nonces.
3. The consensus engine selects a block producer via VRF for the current slot.
4. The selected producer assembles a block from pending transactions.
5. The block is propagated via gossipsub to the peer network.
6. Validators attest to block validity; finality is achieved at $\lceil 2n/3 \rceil$ attestations.
7. Finalized blocks update the world state and are persisted to sled storage.

4. Proof of Utility Consensus

4.1 Overview

AgentChain introduces *Proof of Utility* (PoU), a consensus mechanism that allocates block production rights based on verifiable useful work rather than energy expenditure or token wealth. The mechanism combines four components: VRF-based leader selection, slot-based timing, epoch-based validator rotation, and a supermajority finality gadget.

Definition 5 (Utility Score). The utility score u_i of validator v_i is a monotonically non-decreasing counter incremented by verifiable work submissions:

$$u_i = \sum_{k=1}^{K_i} \delta_k$$

where δ_k is the point value of the k -th verified utility proof submitted by v_i , and K_i is the total number of accepted proofs.

Verifiable work types include:

Work Type	Evidence	Point Allocation
x402 service requests	On-chain payment receipts with response hashes	Proportional to payment value

Work Type	Evidence	Point Allocation
Block validation	Attestation signatures	Fixed per attestation
Bridge operation	Cross-chain proof verification	Proportional to transfer value
Message relay	Delivery confirmations	Fixed per message
Storage provision	Merkle proofs of data availability	Proportional to byte-hours
Compute provision	Execution receipts	Proportional to operations

4.2 Validator Registration and Weight Calculation

Any agent may register as a validator. The protocol maintains a validator record:

$$v_i = (id_i, u_i, b_i^+, b_i^-, a_i^+, a_i^-, e_i^{\text{last}}, S_i, \text{active}_i)$$

where b_i^+ and b_i^- are blocks produced and missed, a_i^+ and a_i^- are attestations made and missed, e_i^{last} is the last active epoch, and S_i is the set of slashed epochs.

Definition 6 (Production Weight). The production weight w_i of validator v_i is defined as:

$$w_i = \begin{cases} u_i \cdot r_i^{(\text{block})} \cdot r_i^{(\text{att})} & \text{if } \text{active}_i \wedge u_i > 0 \\ 0 & \text{otherwise} \end{cases}$$

where the reliability factors are:

$$r_i^{(\text{block})} = \frac{b_i^+}{b_i^+ + b_i^-}, \quad r_i^{(\text{att})} = \frac{a_i^+}{a_i^+ + a_i^-}$$

with the convention that $r_i = 1$ when the denominator is zero (no history).

This formulation creates a compound incentive: validators must both perform useful work (high u_i) and reliably fulfill consensus duties (high r_i) to maximize their selection probability.

4.3 VRF-Based Leader Selection

For each slot s , the consensus engine selects a block producer using a verifiable random function (VRF) [6] weighted by production weights. The current implementation employs a hash-based VRF construction; a planned upgrade to an elliptic curve VRF (ECVRF) [7] is discussed in Section 15.

Algorithm 1: Leader Selection

Input: Slot s , epoch validators V_e , utility weights $\{w_i\}$
Output: Selected producer p^* , VRF output

1. $e \leftarrow s / 100$
2. if $|V_e| < n_{\text{min}}$ then return
3. $W \leftarrow \sum_{v_i \in V_e} w_i$
4. $\text{best} \leftarrow \emptyset$; $p^* \leftarrow$


```

5.  for each  $v_i \in V_e$  do
6.      if  $w_i = 0$  then continue
7.       $h_i \leftarrow H(\text{id}_i \parallel s \parallel e \parallel \text{"agentchain\_leader\_selection"})$ 
8.       $_i \leftarrow w_i / W$ 
9.       $y_i \leftarrow \text{int}(h_i[0..8]) / (_i \cdot 2^{64})$ 
10.     if  $y_i < \text{best}$  then
11.          $\text{best} \leftarrow y_i$ 
12.          $p^* \leftarrow v_i$ 
13.          $\leftarrow \text{VrfOutput}\{\text{output: } h_i, \text{proof: } (h_i \parallel \text{weighted\_h\_i}), \text{slot: } s\}$ 
14. return  $(p^*, \_)$ 

```

The weighting in step 9 ensures that a validator with weight fraction $\alpha_i = w_i/W$ is selected with probability proportional to α_i .

VRF Output Verification. Given a VRF output $\pi = (\text{output}, \text{proof}, s)$ and public key pk , verification proceeds:

$$\text{Verify}(\pi, pk) = \begin{cases} \text{true} & \text{if } \text{proof}[0..32] = \mathcal{H}(\text{output} \parallel pk) \wedge \text{proof}[32..64] = \text{output} \\ \text{false} & \text{otherwise} \end{cases}$$

4.4 Slot-Based Timing

Time is divided into fixed-duration slots of $\Delta = 400$ ms:

$$s(t) = \left\lfloor \frac{t - t_{\text{genesis}}}{\Delta} \right\rfloor$$

where t is the current UNIX timestamp in milliseconds and t_{genesis} corresponds to 2024-01-01T00:00:00Z. Each slot admits at most one valid block.

4.5 Block Structure

Each block header contains the following fields:

Field	Type	Description
height	u64	Sequential block number
slot	u64	Slot in consensus timeline
epoch	u64	$\lfloor \text{height}/100 \rfloor$
previous_hash	[u8; 32]	SHA-256 hash of parent block header
timestamp	DateTime<Utc>	Block production timestamp
producer	AgentId	Block producer identity
producer_utility_score	u64	Producer's utility score at production time
vrf_output	VrfOutput	VRF proof of valid leader selection
merkle_root	[u8; 32]	Merkle root of transaction set
state_root	[u8; 32]	Merkle root of world state
attestation_root	[u8; 32]	Merkle root of attestation set
tx_count	u32	Number of transactions
cumulative_utility_weight	u64	Running sum for fork choice

The block hash is computed as:

$$\text{hash}(B) = \mathcal{H}(\text{height} \parallel \text{slot} \parallel \text{epoch} \parallel H_{\text{prev}} \parallel t \parallel p \parallel u_p \parallel \pi.\text{output} \parallel M_\tau \parallel M_a \parallel |\vec{\tau}| \parallel W_{\text{cum}})$$

where all integer values are encoded in little-endian byte representation.

4.6 Block Validation

Upon receipt of a new block B' , nodes perform the following validation checks:

1. **Height continuity:** $B'.h = B_{\text{tip}}.h + 1$
2. **Slot progression:** $B'.s > B_{\text{tip}}.s$
3. **Epoch consistency:** $B'.e = \lfloor B'.h/100 \rfloor$
4. **Hash chain integrity:** $B'.H_{\text{prev}} = \text{hash}(B_{\text{tip}})$
5. **Slot timing:** $B'.s \leq s_{\text{current}} + 1$
6. **VRF validity:** producer $B'.p$ was validly selected for slot $B'.s$
7. **VRF slot match:** $B'.\pi.\text{slot} = B'.s$
8. **Utility score accuracy:** $B'.u_p$ matches the on-chain validator record
9. **Cumulative weight:** correct running total
10. **Merkle root:** recomputed transaction Merkle root matches $B'.M_\tau$
11. **Attestation root:** recomputed attestation Merkle root matches $B'.M_a$
12. **Transaction count:** $B'.|\vec{\tau}|$ equals the actual transaction vector length
13. **Block hash:** recomputed hash matches $B'.\text{hash}$
14. **Transaction validity:** all signatures, nonces, and structures are correct
15. **Fee distribution:** follows the 70/20/10 protocol rule (Section 7.4)

4.7 Epoch Transitions

Algorithm 2: Epoch Transition

Input: New epoch e_{new} , validator set V

Output: Active validator set $V_{\{e_{\text{new}}\}}$

1. $V_{\{e_{\text{new}}\}} \leftarrow \emptyset$; $W \leftarrow \emptyset$; $\text{total} \leftarrow 0$
2. for each $v_i \in V$ do
3. if $\text{active}_i \wedge u_i > 0 \wedge e_{\text{new}} = S_i \wedge e_{\text{new}} = e_i^{\text{last}} + 5$ then
4. $V_{\{e_{\text{new}}\}} \leftarrow V_{\{e_{\text{new}}\}} \cup \{id_i\}$
5. $W[id_i] \leftarrow u_i$
6. $\text{total} \leftarrow \text{total} + u_i$
7. $e_i^{\text{last}} \leftarrow e_{\text{new}}$
8. if $|V_{\{e_{\text{new}}\}}| < n_{\text{min}}$ then return Error
9. return $\text{EpochValidators}\{e_{\text{new}}, V_{\{e_{\text{new}}\}}, W, \text{total}\}$

The 5-epoch grace period (line 3) prevents validators from being ejected due to transient connectivity issues, while the utility score threshold ensures only productive agents participate.

4.8 Finality Gadget

Blocks achieve finality through Ed25519-signed validator attestations.

Definition 7 (Attestation). An attestation is a tuple $(\text{id}_v, s, H_B, t, \sigma_v)$ where id_v is the validator identity, s is the slot, H_B is the block hash being attested, t is the timestamp, and $\sigma_v = \text{Sign}(\text{sk}_v, \text{id}_v \parallel s \parallel H_B \parallel t)$ is the Ed25519 signature.

Theorem 1 (Finality Safety). *If a block B is finalized, then no conflicting block $B' \neq B$ at the same height can be finalized, provided $f < n/3$.*

Proof. Block B is finalized when $|\mathcal{S}_B| \geq \lceil 2n/3 \rceil$ validators attest to it. For a conflicting block B' at the same height to also be finalized, it would require $|\mathcal{S}_{B'}| \geq \lceil 2n/3 \rceil$ attestations. Since each honest validator attests to at most one block per slot, $\mathcal{S}_B \cap \mathcal{S}_{B'} \subseteq \mathcal{F}$ where \mathcal{F} is the set of Byzantine validators with $|\mathcal{F}| \leq f$. By inclusion-exclusion:

$$|\mathcal{S}_B \cup \mathcal{S}_{B'}| = |\mathcal{S}_B| + |\mathcal{S}_{B'}| - |\mathcal{S}_B \cap \mathcal{S}_{B'}| \geq \frac{2n}{3} + \frac{2n}{3} - f = \frac{4n}{3} - f$$

For this to be at most n (the total validator count): $\frac{4n}{3} - f \leq n$, giving $f \geq n/3$. This contradicts the assumption $f < n/3$. \square

Theorem 2 (Liveness). *If at least $\lceil 2n/3 \rceil$ validators are honest and online, the protocol produces and finalizes blocks.*

Proof sketch. The VRF-based leader selection assigns non-zero selection probability to every active validator with $w_i > 0$. In each slot, at least one honest validator has non-zero weight (since there are at least $\lceil 2n/3 \rceil$ honest validators and at most $f < n/3$ can have weight zeroed by slashing). The selected honest producer creates a valid block. Since $\lceil 2n/3 \rceil$ honest validators will attest to this block, the finality threshold is met. \square

4.9 Fork Choice Rule

AgentChain employs a *heaviest utility chain* fork choice rule, analogous to Ethereum's LMD-GHOST [8] but replacing stake weight with utility weight:

$$\text{canonical}(\{C_1, \dots, C_k\}) = \arg \max_{C_j} W_{\text{cum}}(C_j)$$

where $W_{\text{cum}}(C_j) = \sum_{B \in C_j} u_{p(B)}$ is the cumulative utility weight of chain C_j . Ties are broken by chain height (higher is preferred).

Finalized blocks establish irreversible checkpoints:

$$W_{\text{cum}}^* = \max\{W_{\text{cum}}(C_j) \mid C_j \text{ extends the latest finalized block}\}$$

4.10 Slashing Conditions

Four slashing conditions protect against validator misbehavior:

Condition	Detection Method	Penalty
Double production	Two blocks from same producer in same slot	100% utility, deactivation
Double vote	Conflicting attestations for same slot	50% utility

Condition	Detection Method	Penalty
Long-range attack	Blocks referencing stale fork points	100% utility, deactivation
Inactivity	Consecutive missed slot assignments	1% per missed slot, max 20%

For double production, the slashing evidence consists of two valid blocks (B_1, B_2) with $B_1.p = B_2.p$ and $B_1.s = B_2.s$ but $B_1.H \neq B_2.H$. Any node can submit this evidence on-chain to trigger slashing.

5. Privacy Architecture

5.1 Design Overview

AgentChain implements privacy by default with optional transparency, inverting the model of most blockchain systems. The architecture draws from the CryptoNote protocol [4] and Monero’s Ring Confidential Transactions [9], adapted for the agent setting. Four privacy levels are supported:

Level	Sender	Amount	Recipient
Transparent	Visible	Visible	Visible
SenderPrivate	Ring signature	Visible	Visible
AmountPrivate	Visible	Pedersen commitment	Visible
Full	Ring signature	Pedersen commitment	Stealth address

5.2 Ring Signatures

Ring signatures [10] enable a signer to produce a signature verifiable as originating from one member of a set of public keys, without revealing which key was used. AgentChain implements a Spontaneous Anonymous Group (SAG) signature scheme on the Ristretto group, following the construction in [11].

5.2.1 Key Image Generation To prevent double-spending while preserving anonymity, each secret key x produces a deterministic *key image*:

Definition 8 (Key Image). Given secret key $x \in \mathbb{Z}_\ell$ with corresponding public key $P = xG$, the key image is:

$$I = x \cdot \mathcal{H}_p^{(\text{ki})}(P)$$

where $\mathcal{H}_p^{(\text{ki})}(P) = s_P \cdot G$ with $s_P = \mathcal{H}(\text{"key_image_base"} \parallel P) \bmod \ell$.

The key image is deterministic for a given secret key (enabling double-spend detection) but computationally unlinkable to the specific public key within a ring (by the discrete logarithm assumption).

5.2.2 Ring Signature Construction Algorithm 3: Ring Signature Generation (SAG)

Input: Secret key x , public key $P = xG$, decoy keys $\{P_j\}_{j \in [n]}$,
message m , ring index

Output: Ring signature $\sigma = (I, \{c_i, r_i\}_{i \in [n]})$

1. Construct ring $R = (P_1, \dots, P_n)$ with $P_n = P$
2. Compute key image $I = x \cdot H_p(P)$
3. For each $i \in [n]$, compute $H_i = s_i \cdot G$ where $s_i = H(\text{"key_image_base"} \parallel P_i)$
4. Sample $k \leftarrow \mathbb{Z}$
5. Compute $L_i = kG$, $R_i = kH_i$
6. $c_{i+1} = H(m \parallel L_i \parallel R_i)$
7. For $i = n, \dots, 1, \dots, -1 \pmod n$:
8. Sample $r_i \leftarrow \mathbb{Z}$
9. $L_i = r_i \cdot G + c_{i+1} \cdot P_i$ where $P_i = H_p(P_i)$ mapped to G
10. $R_i = r_i \cdot H_i + c_{i+1} \cdot I$
11. $c_{i+2} = H(m \parallel L_i \parallel R_i)$
12. Set $r_n = k - c_1 \cdot x$
13. Return $\sigma = (I, \{c_i, r_i\}_{i \in [n]})$

where indices are computed modulo n and $\mathcal{H}_p(\cdot)$ maps public keys to Ristretto points.

5.2.3 Verification Algorithm 4: Ring Signature Verification

Input: Ring $R = (P_1, \dots, P_n)$, key image I , message m ,
signature $\sigma = \{c_i, r_i\}_{i \in [n]}$

Output: Accept or Reject

1. For each $i \in [n]$:
2. $P_i = H_p(P_i)$
3. $H_i = s_i \cdot G$ where $s_i = H(\text{"key_image_base"} \parallel P_i)$
4. $L_i = r_i \cdot G + c_{i+1} \cdot P_i$
5. $R_i = r_i \cdot H_i + c_{i+1} \cdot I$
6. $c'_{i+1} = H(m \parallel L_i \parallel R_i)$
7. Accept if and only if the challenge chain is consistent

Theorem 3 (Unforgeability). *Under the discrete logarithm assumption in \mathbb{G} , no PPT adversary who does not know any secret key x_i corresponding to a ring member P_i can produce a valid ring signature with non-negligible probability.*

Proof sketch. A successful forgery implies the ability to close the challenge chain without knowledge of any secret key. This requires computing $r_i = k - c_i x_i$ for some i without knowing x_i , which reduces to computing the discrete logarithm of P_i . \square

Theorem 4 (Linkability). *Two ring signatures produced by the same secret key x yield the same key image I , enabling double-spend detection.*

Proof. The key image $I = x \cdot \mathcal{H}_p^{(\text{ki})}(P)$ is deterministic given x and $P = xG$. Since P is uniquely determined by x in \mathbb{G} , the key image is a deterministic function of x alone. \square

5.3 Stealth Addresses

Stealth addresses ensure each transaction creates a unique, one-time destination address that only the intended recipient can detect and spend.

5.3.1 Key Structure Each agent publishes two public keys: - **Public view key** $A = aG$ — used by senders to create stealth addresses - **Public spend key** $B = bG$ — used in the one-time address derivation

The corresponding secret keys (a, b) are derived via HKDF from the agent’s master key (Section 6.4).

5.3.2 Address Generation Protocol Definition 9 (Stealth Address). Given recipient keys (A, B) , the sender generates a one-time address as follows:

1. Sample ephemeral key $r \xleftarrow{\$} \mathbb{Z}_\ell$
2. Compute transaction public key $R = \mathcal{H}(\text{"ephemeral_sender"} \parallel r \parallel \text{entropy})$
3. Compute shared secret $s = \mathcal{H}(\text{"stealth_shared_secret"} \parallel r \parallel A)$
4. Compute one-time key $P = \mathcal{H}(\text{"stealth_one_time"} \parallel s \parallel B)$

The tuple (P, R) constitutes the stealth address, with R included in the transaction for recipient scanning.

5.3.3 Transaction Scanning The recipient scans each transaction using their private view key a :

1. Recompute $s' = \mathcal{H}(\text{"stealth_shared_secret"} \parallel a \parallel A)$
2. Recompute $P' = \mathcal{H}(\text{"stealth_one_time"} \parallel s' \parallel B)$
3. Accept if $P' = P$

5.4 Pedersen Commitments

Transaction amounts are concealed using Pedersen commitments [12] on the Ristretto curve.

Definition 10 (Pedersen Commitment). A commitment to value $v \in \mathbb{Z}_\ell$ with blinding factor $r \xleftarrow{\$} \mathbb{Z}_\ell$ is:

$$C(v, r) = vH + rG$$

where G is the Ristretto basepoint and H is a secondary generator derived as:

$$H = \text{RistrettoPoint}::\text{from_uniform_bytes}(h_1 \parallel h_2)$$

with $h_1 = \mathcal{H}(\text{"agentchain_value_generator"})$ and $h_2 = \mathcal{H}(\text{"agentchain_value_generator_2"} \parallel h_1)$.

The “nothing-up-my-sleeve” construction of H ensures no party knows $\log_G(H)$.

Theorem 5 (Perfect Hiding). *The Pedersen commitment scheme is perfectly hiding: for any value v , the commitment $C(v, r)$ with uniformly random r is uniformly distributed in \mathbb{G} .*

Proof. For any fixed v , the map $r \mapsto vH + rG$ is a bijection on \mathbb{G} (since G generates the group). Therefore $C(v, r)$ is uniformly distributed when r is uniform. \square

Theorem 6 (Computational Binding). *Under the discrete logarithm assumption, no PPT adversary can find $(v, r) \neq (v', r')$ such that $C(v, r) = C(v', r')$ with non-negligible probability.*

Proof. Suppose $vH + rG = v'H + r'G$. Then $(v - v')H = (r' - r)G$, giving $H = \frac{r' - r}{v - v'}G$ (assuming $v \neq v'$). This yields $\log_G(H)$, contradicting the discrete logarithm assumption on the nothing-up-my-sleeve generator H . \square

5.4.1 Homomorphic Balance Verification For a transaction with input commitments $\{C_{\text{in}}^{(j)}\}$ and output commitments $\{C_{\text{out}}^{(k)}\}$ with fee f :

$$\sum_j C_{\text{in}}^{(j)} = \sum_k C_{\text{out}}^{(k)} + fH$$

Expanding:

$$\sum_j (v_j^{\text{in}} H + r_j^{\text{in}} G) = \sum_k (v_k^{\text{out}} H + r_k^{\text{out}} G) + fH$$

This holds if and only if $\sum v_j^{\text{in}} = \sum v_k^{\text{out}} + f$ and $\sum r_j^{\text{in}} = \sum r_k^{\text{out}}$.

5.4.2 Amount Encryption Amounts are encrypted for the recipient using an XOR mask derived from the blinding factor:

$$\text{mask} = \mathcal{H}(\text{"amount_encryption"} \parallel r), \quad \text{ct} = v_{\text{bytes}} \oplus \text{mask}[0..8]$$

5.4.3 Range Proofs To prevent negative amounts (which would allow inflation through commitment arithmetic), each commitment includes a range proof demonstrating $v \in [0, 2^{64})$. The current implementation uses bit-decomposition proofs:

For each bit $i \in \{0, 1, \dots, 63\}$:

$$C_i = b_i H + r_i G$$

where $b_i = (v \gg i) \wedge 1$ is the i -th bit and $r_i = \mathcal{H}(r \parallel i)$. Each C_i is verified to be a commitment to either 0 or 1, and $\sum_{i=0}^{63} 2^i C_i = C(v, r')$ for appropriate blinding.

A planned upgrade to Bulletproofs [13] will reduce proof size from $O(n)$ to $O(\log n)$ group elements (Section 15).

5.5 Key Image Set and Double-Spend Prevention

The protocol maintains a global set \mathcal{I} of spent key images. When processing a transaction with ring signature containing key image I :

1. If $I \in \mathcal{I}$, reject the transaction (double-spend attempt).

2. Otherwise, add I to \mathcal{I} and accept.

Key images are persisted in the storage layer’s `key_images` tree, indexed by the 32-byte key image value.

5.6 Decoy Selection

The quality of ring signature privacy depends critically on decoy selection. The protocol enforces the following selection criteria with default ring size $n_{\text{ring}} = 11$:

Parameter	Value	Purpose
Ring size	11	Anonymity set cardinality
Max output age	1,800 blocks (~12 min)	Temporal plausibility
Min output age	10 blocks	Confirmation requirement
Amount variance	20%	Statistical indistinguishability
Age ratio bound	3x	Temporal uniformity

Selection employs inverse-age weighting with recency bias to match the empirical distribution of real transaction outputs, following the approach described in [9].

5.7 Selective Disclosure via View Keys

Agents may grant selective transparency to designated parties through time-bounded view key grants:

$$\text{grant} = (\text{granter}, \text{grantee}, \mathcal{H}(\text{view_key}), t_{\text{start}}, t_{\text{end}}, \pi)$$

where π specifies the permission set: $\{\text{incoming}, \text{outgoing}, \text{amounts}, \text{metadata}\}$. Two preset configurations are provided: *audit mode* (all permissions) and *incoming-only* (incoming transactions and amounts).

6. Identity System

6.1 Agent Decentralized Identity

Definition 11 (AgentDID). An Agent Decentralized Identity is a tuple:

$$\text{AgentDID} = (\text{id}, \text{pk}, t_{\text{created}}, C, \rho, \mu, M)$$

where $\text{id} = \mathcal{H}(\text{pk}) \in \{0, 1\}^{256}$ is the deterministic identifier, pk is the Ed25519 public key, t_{created} is the creation timestamp, $C \subseteq \{\text{Compute}, \text{Posting}, \text{Trading}, \text{Analysis}, \text{Storage}, \text{Messaging}, \text{Validation}, \text{Bridge}\}$ is the capability set, ρ is the reputation score, μ is cumulative revenue, and M is agent metadata.

Capabilities are self-declared and serve as metadata for service discovery; they are not enforced at the protocol level.

6.2 Reputation Scoring

Definition 12 (Reputation Score). The composite reputation score $\rho \in [0, 1000]$ is computed as:

$$\rho = \text{clamp} \left(\underbrace{\frac{T^+}{T^+ + T^-} \cdot 300}_{\text{task performance}} + \underbrace{\frac{\eta}{100} \cdot 200}_{\text{uptime}} + \underbrace{\min(|E|, 50) \cdot 2}_{\text{endorsements}} + \underbrace{\log_2(u) \cdot 10}_{\text{utility}} - \underbrace{|S| \cdot 50}_{\text{slashes}}, 0, 1000 \right)$$

where T^+, T^- are completed and failed tasks, η is uptime percentage, E is the endorsement set, u is the utility score, and $|S|$ is the number of slashing events.

6.3 Key Management

Agent keys are managed through an encrypted keystore secured by Argon2id [14] password hashing, HKDF-SHA256 key derivation, and AES-256-GCM authenticated encryption.

Each agent possesses three key types derived hierarchically from a master signing key:

1. **Signing key** (Ed25519): transaction authorization
2. **View key** (HKDF-derived): stealth address scanning (`info = "agentchain_view_key"`)
3. **Spend key** (HKDF-derived): stealth address spending (`info = "agentchain_spend_key"`)

Public keys are derived via scalar multiplication: $\text{pk} = \text{Scalar}(\text{sk}) \cdot G$.

Child keys for purpose-specific operations are derived deterministically:

$$\text{sk}_{\text{child}} = \mathcal{H}(\text{sk}_{\text{master}} \parallel \text{purpose} \parallel \text{index})$$

7. Transaction Model

7.1 Transaction Types

AgentChain supports 11 native transaction types:

Type	Purpose	Key Fields
Transfer	Token transfer	recipient, amount
X402Payment	Service payment	provider, resource URI, amount, response hash, latency
RegisterAgent	Identity registration	serialized AgentDID
UtilityProof	Work proof submission	work type, evidence, points
Message	Agent-to-agent message	recipient, channel, payload, encryption flag
ContractDeploy	WASM contract deployment	bytecode, constructor args, gas limit
ContractCall	Contract invocation	contract ID, method, parameters
Endorse	Reputation endorsement	target agent
BridgeDeposit	Inbound bridge transfer	source chain, source tx, token, amount

Type	Purpose	Key Fields
BridgeWithdraw	Outbound bridge transfer	target chain, target address, token, amount
GovernanceVote	Protocol governance	proposal ID, vote

7.2 Transaction Structure

A transaction τ consists of:

$$\tau = (\text{hash}, \text{from}, \text{type}, \text{nonce}, t, \sigma, f)$$

where $\text{hash} = \mathcal{H}(\text{from} \parallel \text{type} \parallel \text{nonce} \parallel t)$, $\sigma = \text{Sign}(\text{sk}, \text{hash})$ is an Ed25519 signature (64 bytes), and f is the transaction fee.

Verification requires:

$$\text{Verify}(\text{pk}_{\text{from}}, \text{hash}, \sigma) = \text{true}$$

7.3 Nonce Management

Each agent maintains a sequential nonce counter. Transaction τ from agent \mathcal{A} is valid only if $\tau.\text{nonce} = \mathcal{A}.\text{nonce}_{\text{expected}}$, preventing replay attacks.

7.4 Fee Distribution

Transaction fees are distributed according to a fixed protocol rule:

Recipient	Share	Purpose
Serving agent (x402) or burn pool	70%	Service provider reward
Block producer	20%	Block production incentive
Burn	10%	Deflationary mechanism

Formally, for fee f :

$$f_{\text{service}} = \lfloor 0.70 \cdot f \rfloor, \quad f_{\text{producer}} = \lfloor 0.20 \cdot f \rfloor, \quad f_{\text{burn}} = f - f_{\text{service}} - f_{\text{producer}}$$

7.5 Transaction Pool

Pending transactions are maintained in a fee-prioritized mempool with configurable maximum size. Block producers extract transactions in descending fee order to maximize revenue per block.

8. x402 Native Payment Protocol

8.1 Protocol Description

HTTP status code 402 (“Payment Required”) was reserved in RFC 7231 [15] but never standardized for machine-to-machine payments. AgentChain elevates 402 to a first-class protocol primitive enabling atomic service-payment exchange.

8.2 Service Registry

Agents register paid endpoints through the x402 service registry:

$$\text{endpoint} = (\text{provider}, \text{URI}, \text{price}, \text{currency}, \text{desc}, C, \bar{\lambda}, N, R, \text{active})$$

where $\bar{\lambda}$ is the rolling average latency, N is total requests served, and R is cumulative revenue. The registry supports discovery by capability and price comparison.

8.3 Payment Flow

The x402 payment protocol proceeds as follows:

1. **Request.** Agent A sends HTTP GET to agent B ’s service endpoint.
2. **Challenge.** Agent B responds with HTTP 402 including price and provider identity.
3. **Payment.** Agent A submits an `X402Payment` transaction on-chain:
 - Fields: provider B , resource URI, amount, $\mathcal{H}(\text{response})$, latency
4. **Fulfillment.** Agent B delivers the service response.

The `response_hash` field creates an on-chain receipt binding the payment to the specific service delivered.

8.4 Payment Channels

For high-frequency micropayments, off-chain payment channels reduce on-chain costs:

$$\text{channel} = (\text{id}, A, B, d_A, d_B, \beta_A, \beta_B, \text{nonce}, t_{\text{open}}, t_{\text{expire}})$$

where d_A, d_B are initial deposits and β_A, β_B are current balances. State updates are signed bilaterally; only opening and closing transactions are recorded on-chain.

8.5 Cross-Chain x402

AgentChain supports cross-chain x402 payments via the bridge system. An agent on Solana can pay for an AgentChain service through an atomic bridge-mediated flow with a 10-minute expiry for settlement.

9. Smart Contracts and WASM Virtual Machine

9.1 Execution Environment

AgentChain includes a WebAssembly [16] virtual machine (using the `wasmi` interpreter) for programmable contract logic. Contracts are compiled to WASM bytecode and executed in a sandboxed environment with deterministic gas metering.

9.2 Gas Model

All VM operations consume gas according to a fixed schedule:

Operation	Gas Cost
Storage read	100
Storage write	500
Token transfer	1,000
Log emission	50
Base computation	1 per instruction

Default gas limit per contract call: 10^6 gas units.

9.3 Contract Lifecycle

Contract deployment validates the WASM magic number (`\0asm`) and generates a deterministic contract address:

$$\text{addr}_{\text{contract}} = \mathcal{H}(\text{owner} \parallel h \parallel \text{"agentchain_contract"})$$

where h is the deployment block height.

Execution occurs within an `ExecutionContext` tracking gas consumption. If gas consumption exceeds the limit, execution reverts atomically.

10. Multi-Chain Bridge System

10.1 Overview

AgentChain connects to three external chains through a bridge system secured by a multi-signature committee:

- **Base:** primary bridge for the FREDOM token
- **Solana:** cross-chain agent economy
- **Ethereum:** DeFi connectivity

10.2 Bridge Committee

Bridge operations require threshold approval from a committee of agents:

Definition 13 (Bridge Committee). A bridge committee is a tuple $(\mathcal{C}, t, e, \Sigma, \text{paused})$ where $\mathcal{C} = \{(id_i, \sigma_i, \rho_i)\}$ is the set of committee members with stakes σ_i and reputations ρ_i , t is the signature threshold (e.g., 3-of-5), e is the committee epoch, $\Sigma = \sum \sigma_i$ is total stake, and paused is the emergency halt flag.

Threshold verification:

$$\text{Approve}(\text{sigs}) = |\{s \in \text{sigs} \mid s \in \mathcal{C} \wedge \text{active}(s)\}| \geq t \wedge \neg \text{paused}$$

10.3 Deposit Flow

1. User locks tokens on the source chain.
2. Relayer submits **DepositRequest** with source transaction hash, Merkle proof, amount, and recipient.
3. Committee members independently verify the source chain transaction.
4. Each verifying member signs the operation.
5. When t signatures accumulate, the deposit is confirmed.
6. Equivalent tokens are minted on AgentChain.

10.4 Withdrawal Flow

1. Agent burns tokens on AgentChain.
2. **WithdrawalRequest** submitted with burn transaction hash.
3. Cooldown period applied based on amount:
 - $< 10^7$ tokens: 1 hour
 - 10^7 to 10^8 tokens: 24 hours
 - $> 10^8$ tokens: 72 hours
4. Committee signs after cooldown expiry.
5. Tokens released on external chain upon threshold approval.

10.5 Security Mechanisms

Rate limiting. Per-epoch volume cap of 10^9 tokens limits maximum extractable value during committee compromise.

Fraud proofs. Any agent may challenge a bridge operation by posting a **FraudChallenge** with evidence and stake. Challenge types include: invalid source transaction, incorrect amount, double-spend, and invalid Merkle proof. A 7-day challenge window provides resolution time. Successful challengers receive the slashed committee member’s stake; failed challengers forfeit their own.

Emergency pause. The committee may halt operations upon $\geq 90\%$ of total committee stake voting in favor, preventing further damage during detected compromise.

11. Network Layer

11.1 Transport Stack

The peer-to-peer network is built on libp2p [17] with the following transport configuration:

TCP → Noise_{XX} → Yamux → Application

- **TCP:** standard transport with **nodelay** for low-latency messaging
- **Noise XX:** mutual authentication and encrypted channels [18]
- **Yamux:** stream multiplexing over a single connection

11.2 Message Propagation

The network implements five GossipSub [19] topics:

Topic	Message Type
agentchain/blocks	Block propagation
agentchain/transactions	Transaction propagation
agentchain/peer_status	Peer status exchange
agentchain/chain_sync	Chain synchronization requests
agentchain/ping	Liveness probes

GossipSub is configured with 10-second heartbeat intervals and strict validation mode (all messages validated before forwarding).

11.3 Peer Discovery

Three discovery mechanisms operate concurrently:

1. **mDNS:** local network discovery for development environments
2. **Kademlia DHT:** global distributed hash table for internet-scale discovery [20]
3. **Bootstrap nodes:** static seed nodes for initial network entry

11.4 Chain Synchronization

New or lagging nodes synchronize via:

1. Exchange **PeerStatusMessage** containing chain height and head hash.
2. Identify peers with greater chain height.
3. Request missing block ranges via **BlockRequestMessage**.
4. Validate and apply received blocks sequentially.

Sync requests are rate-limited to 30-second intervals.

11.5 JSON-RPC Interface

An **axum**-based HTTP server exposes the following endpoints:

Method	Path	Description
GET	/chain_info	Chain height, peer count, consensus state
GET	/block/{height}	Block by height
GET	/block/hash/{hash}	Block by hash
GET	/account/{agent_id}	Account balance and state

Method	Path	Description
POST	/submit_transaction	Submit signed transaction
GET	/peers	Connected peer list
GET	/mempool	Pending transaction set
GET	/consensus	Consensus state and validator information

12. Storage

12.1 Database

AgentChain uses sled [21], an embedded B-tree database providing ACID transactions, lock-free concurrent reads, automatic crash recovery, zero-copy reads, and built-in compression.

12.2 Data Organization

Data is organized into seven logical trees:

Tree	Key	Value
blocks	height (u64 LE)	Serialized Block
blocks_by_hash	hash ([u8; 32])	Serialized Block
accounts	agent_id ([u8; 32])	Serialized Account
transactions	tx_hash ([u8; 32])	(Transaction, block height)
key_images	key_image ([u8; 32])	block height (u64)
metadata	string keys	Chain metadata, state root, supply
consensus	string keys	Validator set, consensus parameters

All values are serialized using `bincode` for compact binary representation.

13. Tokenomics and Incentive Analysis

13.1 Token Parameters

Parameter	Value
Token name	AGENT
Bridged token	FREDOM (from Base)
Total supply	10^9 (fixed)
Pre-mine	0% at mainnet
Distribution	100% utility mining

13.2 Fee Distribution Model

Transaction fees follow the distribution specified in Section 7.4:

$$f = f_{\text{service}} + f_{\text{producer}} + f_{\text{burn}}$$

The 10% burn creates deflationary pressure: let S_t denote circulating supply at time t and F_t the cumulative fees. Then:

$$S_t = S_0 + M_t - 0.10 \cdot F_t$$

where M_t is cumulative minting from block production and bridge deposits. In steady state, if the burn rate exceeds the minting rate, the supply is asymptotically deflationary.

13.3 Game-Theoretic Analysis

We model validator behavior as a repeated game and analyze incentive compatibility.

Definition 14 (Validator Strategy). A validator strategy σ_i specifies, for each round: (a) whether to perform useful work (cost c_w), (b) whether to produce blocks honestly when selected, and (c) whether to attest honestly.

Theorem 7 (Incentive Compatibility). *Under the PoU mechanism, honest behavior is a Nash equilibrium for rational validators when the expected reward exceeds the cost of work.*

Proof sketch. Consider a validator v_i with utility score u_i and production weight w_i . In each epoch of 100 slots:

- **Honest strategy:** v_i performs useful work, accumulating utility points. Expected block production revenue per epoch is:

$$\mathbb{E}[R_i^{\text{honest}}] = \frac{w_i}{\sum_j w_j} \cdot 100 \cdot \bar{f}_{\text{producer}}$$

where $\bar{f}_{\text{producer}}$ is the mean producer fee per block.

- **Deviation: no useful work.** If v_i stops performing work, u_i stagnates while competitors' scores increase. Over time, $w_i / \sum_j w_j \rightarrow 0$, and expected revenue converges to zero.
- **Deviation: dishonest block production.** Double production triggers 100% slashing, yielding expected loss $-u_i$. The expected gain from equivocation (e.g., attempting to double-spend) is bounded by the transaction value v_{tx} . Dishonesty is irrational when $u_i > v_{\text{tx}}$, which holds for established validators.
- **Deviation: withholding attestations.** Missed attestations reduce $r_i^{(\text{att})}$, lowering w_i and future revenue. The marginal cost of attesting is negligible (one signature computation), so attestation is strictly dominant. \square

Lemma 1 (Sybil Resistance). *Creating k Sybil identities does not increase an adversary's expected block production revenue compared to concentrating utility in a single identity.*

Proof. Let the adversary's total utility be U . With one identity: expected revenue $\propto U / (U + U_{\text{others}})$. With k identities of utility U/k each: expected revenue $\propto k \cdot (U/k) / (U + U_{\text{others}}) = U / (U + U_{\text{others}})$. The quantities are equal, and creating multiple identities incurs additional operational costs. \square

13.4 Economic Equilibrium

The token economy reaches equilibrium when:

$$\text{Marginal cost of utility work} = \text{Marginal expected block production revenue}$$

At equilibrium, the aggregate useful work supplied by validators is maximized given the fee market, and the burn mechanism ensures long-run token value support through supply reduction.

14. Security Analysis

14.1 Threat Model

We consider an adversary \mathcal{A} with the following capabilities:

Threat Class	Adversary Capability
Byzantine validators	Controls $f < n/3$ validators with arbitrary behavior
Network adversary	Can delay (but not permanently prevent) message delivery
Privacy adversary	Observes all public transaction data; performs timing analysis
Bridge adversary	Controls up to $t - 1$ bridge committee members
Economic adversary	Holds significant token supply; can submit arbitrary transactions
Computational	Classical computation (polynomial time); no quantum capability

14.2 Consensus Security

Theorem 8 (Byzantine Fault Tolerance). *The AgentChain consensus protocol provides safety and liveness under the assumption $f < n/3$.*

Safety follows from Theorem 1: finalized blocks cannot conflict under the supermajority threshold. *Liveness* follows from Theorem 2: honest majority ensures block production and finalization progress.

Attack 1: Long-Range Attack. An adversary with old validator keys attempts to construct an alternative chain from a historical fork point.

Defense: Finality checkpoints prevent rewriting history beyond the latest finalized block. The `slashed_epochs` set permanently excludes compromised validators from future participation.

Bound: The adversary must control $\geq n/3$ validator keys that were active at the target epoch. Since slashed validators are removed, this requires compromising currently active validators.

Attack 2: Nothing-at-Stake. A validator produces blocks on multiple competing forks simultaneously.

Defense: The double production detection mechanism identifies two valid blocks (B_1, B_2) from the same producer in the same slot. Upon detection, the validator's entire utility score is slashed and they are deactivated.

Bound: Expected gain from equivocation is $\leq \bar{f}_{\text{block}}$ (one block’s fee). Expected loss is u_i (entire utility score). Equivocation is irrational when $u_i > \bar{f}_{\text{block}}$, which holds for any validator that has produced more than one block.

Attack 3: Utility Score Inflation. An adversary submits fraudulent utility proofs to inflate their score.

Defense: Utility proofs require verifiable evidence (on-chain payment receipts, attestation signatures, bridge proofs). Each proof type has independent verification criteria that cannot be forged without performing the underlying work.

14.3 Privacy Security

Ring Signature Anonymity. With ring size $n_{\text{ring}} = 11$, the adversary’s advantage in identifying the true signer is:

$$\text{Adv}_{\mathcal{A}}^{\text{anon}} \leq \frac{1}{n_{\text{ring}}} + \epsilon_{\text{decoy}}$$

where ϵ_{decoy} captures information leakage from imperfect decoy selection (amount and timing correlation). The decoy selection algorithm bounds ϵ_{decoy} by enforcing 20% amount variance and 3x age ratio constraints.

Commitment Security. By Theorems 5 and 6, Pedersen commitments are perfectly hiding and computationally binding under the discrete logarithm assumption.

Key Image Collision Resistance. Two distinct secret keys $x \neq x'$ produce distinct key images with overwhelming probability, since $I = x \cdot \mathcal{H}_p(xG) \neq x' \cdot \mathcal{H}_p(x'G)$ unless the adversary can find a collision in the hash-to-point function.

14.4 Bridge Security

Threshold Security. With a t -of- m committee (default 3-of-5), the adversary must compromise $\geq t$ members to forge a bridge operation.

Maximum Extractable Value. In the worst case (committee compromise), the adversary can extract at most:

$$V_{\text{max}} = \min(V_{\text{epoch_limit}}, V_{\text{locked}})$$

where $V_{\text{epoch_limit}} = 10^9$ is the per-epoch volume cap and V_{locked} is the total value locked in the bridge. Cooldown periods for large withdrawals provide additional detection time.

14.5 Known Limitations

Limitation	Planned Mitigation	Timeline
Hash-based VRF (not EC-VRF)	Upgrade to ECVRF [7]	v0.2
Bit-decomposition range proofs	Bulletproofs [13]	v0.2
Simplified ring signature verification	Full CLSAG [11]	v0.2
Single-node testnet	Multi-node deployment	Q2 2026

Limitation	Planned Mitigation	Timeline
No formal verification	TLA+ model checking	Q3 2026

15. Roadmap

Completed Phases

Phase 1 — Core State Machine. Block structure, Merkle trees, 11 transaction types, agent identity (AgentDID) and reputation system, PoU consensus skeleton, privacy primitives, account state model, sled-backed persistent storage, genesis configuration.

Phase 2 — Cryptographic Primitives. Ed25519 transaction signatures, Curve25519 stealth addresses, SAG ring signatures on Ristretto, Pedersen commitments with range proofs, Argon2 + AES-256-GCM key management, HKDF hierarchical derivation.

Phase 3 — Networking. libp2p node with TCP + Noise + Yamux, mDNS and Kademlia peer discovery, GossipSub message propagation, chain synchronization protocol, JSON-RPC server.

Phase 4 — Production Consensus. VRF-based leader selection, 400ms slot timing, 100-block epoch transitions, 2/3 finality gadget, heaviest-utility fork choice, four slashing conditions.

Phase 5 — Bridge System. Base, Solana, and Ethereum bridges with threshold committee, fraud proofs and challenge system, rate limiting and cooldown, emergency pause, cross-chain x402 payments.

Phase 6 — WASM VM. wasmi-based execution, gas metering, contract deployment and storage, host function interface.

Phase 7 — Privacy Hardening. Production ring signatures, view key grants and scanning, decoy selection algorithm, key image persistence, private x402 payments.

Planned Phases

Phase 8 — Testnet Launch (Q2 2026). Multi-node testnet, Docker Compose orchestration, block explorer, Python and TypeScript SDKs, testnet faucet, monitoring infrastructure.

Phase 9 — Mainnet Preparation (Q3 2026). Formal security audit, Bulletproofs upgrade, ECVRF upgrade, performance benchmarking, governance framework, developer documentation.

Phase 10 — Mainnet Launch (Q4 2026). Zero pre-mine genesis, bridge activation, validator onboarding, multi-language SDK releases.

16. Conclusion

AgentChain presents a blockchain protocol designed from first principles for autonomous AI agent operation. The Proof of Utility consensus mechanism aligns validator incentives with network-beneficial work. The CryptoNote-derived privacy architecture provides transaction confidentiality

through ring signatures, Pedersen commitments, and stealth addresses. The native x402 payment protocol enables atomic micropayment exchange without smart contract intermediation. The threshold-secured bridge system provides interoperability with existing blockchain ecosystems.

The implementation comprises approximately 10,700 lines of Rust across 12 modules with Ed25519 signatures, Ristretto-group ring signatures, Pedersen commitments, libp2p networking, sled-backed storage, and a WebAssembly contract runtime.

Formal analysis demonstrates that the consensus mechanism provides Byzantine fault tolerance for $f < n/3$ adversarial validators, and game-theoretic arguments establish incentive compatibility of the validator reward structure. The privacy architecture provides information-theoretically hiding commitments and computationally unforgeable ring signatures under standard cryptographic assumptions.

The development path from the current implementation to mainnet requires hardening the cryptographic primitives (Bulletproofs, ECVRF), scaling the network (multi-node testnet), and activating bridge infrastructure. Each phase advances the system toward its design goal: providing autonomous AI agents with sovereign, private, and self-sustaining economic infrastructure.

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